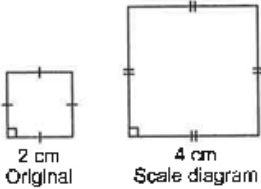
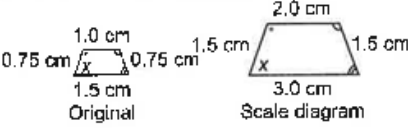
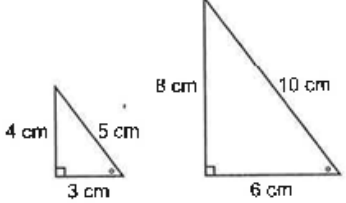
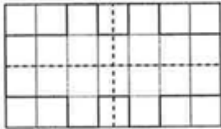
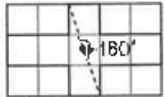
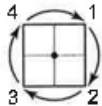


## Unit 7 Study Guide

Skill	Description	Example
Find the scale factor of a scale diagram.	Scale factor = $\frac{\text{length on scale diagram}}{\text{length on original diagram}}$ An enlargement has a scale factor $> 1$ . A reduction has scale a factor $< 1$ .	 <p>Scale factor:  <math>\frac{\text{length on scale diagram}}{\text{length on original diagram}} = \frac{4}{2} = 2</math></p>
Find out if two polygons are similar.	In two similar polygons: - matching angles are equal and - all pairs of matching sides have the same scale factor.	
Find out if two triangles are similar.	In two similar triangles: - matching angles are equal or - all pairs of matching sides have the same scale factor.	
Identify lines of symmetry.	A line of symmetry divides a shape into 2 congruent parts. When one part is reflected in the line of symmetry, it matches the other part exactly.	
Find out if a shape has rotational symmetry.	A shape has rotational symmetry when it can be turned less than $360^\circ$ about its centre to match itself exactly.	
Find the order of rotation and the angle of rotation symmetry for a polygon.	The number of times a shape matches itself in one complete turn is the order of rotation. The angle of rotation symmetry is: $\frac{360^\circ}{\text{the order of rotation}}$	A square has order of rotation 4.  <p>So, its angle of rotation symmetry is:  <math>\frac{360^\circ}{4} = 90^\circ</math></p>

## Unit 7 Review

- 7.1 1.** A photo of a baby giraffe is to be enlarged for a newspaper.  
The actual photo measures 4 cm by 6 cm.

Find the dimensions of the enlargement with a scale factor of  $\frac{7}{2}$ .

Write the scale factor as a decimal:  $\frac{7}{2} = \underline{\hspace{2cm}}$

Length of original photo:  $\underline{\hspace{2cm}}$

Length of enlargement:  $\underline{\hspace{1cm}} \times \underline{\hspace{1cm}} = \underline{\hspace{2cm}}$

Width of original photo:  $\underline{\hspace{2cm}}$

Width of enlargement:  $\underline{\hspace{1cm}} \times \underline{\hspace{1cm}} = \underline{\hspace{2cm}}$

The enlargement has dimensions  $\underline{\hspace{4cm}}$ .

- 7.2 2.** Find the scale factor for this reduction.

Length of original line segment:  $\underline{\hspace{2cm}}$  cm

Length of reduction:  $\underline{\hspace{2cm}}$  cm

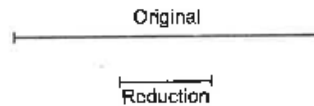
Scale factor =  $\frac{\text{length on reduction}}{\text{length on original}}$

=  $\underline{\hspace{2cm}}$

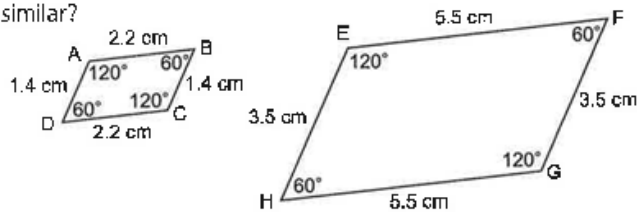
=  $\underline{\hspace{2cm}}$

=  $\underline{\hspace{2cm}}$

The scale factor is  $\underline{\hspace{2cm}}$ .



- 7.3 3.** Are these parallelograms similar?



Check matching angles.

$\angle A = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$      $\angle B = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

All matching angles  $\underline{\hspace{1cm}}$  equal.

Check matching sides.

The matching sides are:  $\underline{\hspace{1cm}}$  and  $\underline{\hspace{1cm}}$ , and  $\underline{\hspace{1cm}}$  and  $\underline{\hspace{1cm}}$ . Find the scale factors.

length of  $\underline{\hspace{1cm}}$  ..  $\underline{\hspace{2cm}}$   
length of  $\underline{\hspace{1cm}}$  ..  $\underline{\hspace{2cm}}$

=  $\underline{\hspace{2cm}}$

length of  $\underline{\hspace{1cm}}$  =  $\underline{\hspace{2cm}}$   
length of  $\underline{\hspace{1cm}}$  =  $\underline{\hspace{2cm}}$

=  $\underline{\hspace{2cm}}$

The scale factors  $\underline{\hspace{1cm}}$  equal. So, the parallelograms  $\underline{\hspace{1cm}}$  similar.

**7.4** 4. Are these two triangles similar?

In  $\triangle ABC$ , order the sides from shortest to longest:

\_\_\_\_\_

In  $\triangle EFG$ , order the sides from shortest to longest:

\_\_\_\_\_

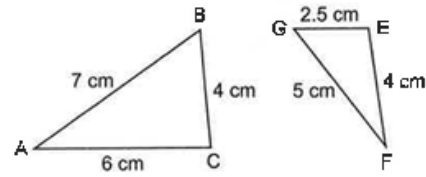
Find the scale factors of matching sides.

length of \_\_\_\_\_ =  $\frac{\text{length of } \underline{\hspace{1cm}}}{\text{length of } \underline{\hspace{1cm}}}$  = \_\_\_\_\_

length of \_\_\_\_\_ =  $\frac{\text{length of } \underline{\hspace{1cm}}}{\text{length of } \underline{\hspace{1cm}}}$  = \_\_\_\_\_

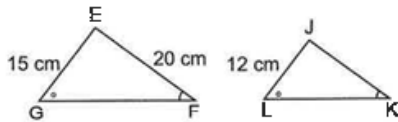
length of \_\_\_\_\_ =  $\frac{\text{length of } \underline{\hspace{1cm}}}{\text{length of } \underline{\hspace{1cm}}}$  = \_\_\_\_\_

All scale factors are \_\_\_\_\_. So, the triangles \_\_\_\_\_.



5. Triangle EFG is similar to  $\triangle JKI$ .

Find the length of JK.



\_\_\_\_\_ is a reduction of \_\_\_\_\_.

Choose a pair of matching sides whose lengths are both known:

\_\_\_\_\_

Scale factor =  $\frac{\text{length on reduction}}{\text{length on original}}$

=  $\frac{\underline{\hspace{1cm}}}{\underline{\hspace{1cm}}}$

= \_\_\_\_\_

The scale factor is \_\_\_\_\_.

Use the scale factor to find the length of JK.

JK and EF are matching sides.

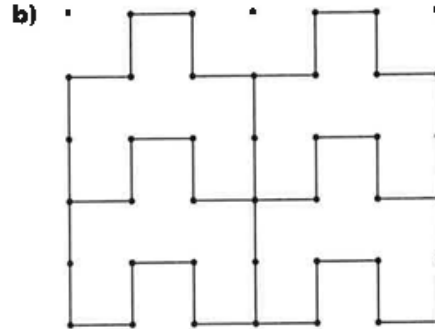
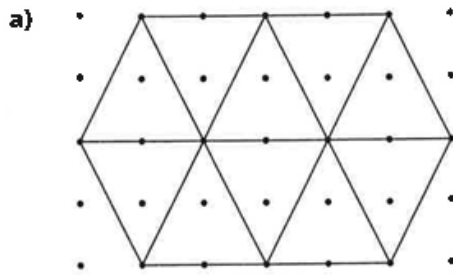
Length of EF: \_\_\_\_\_

Scale factor: \_\_\_\_\_

Length of JK: \_\_\_\_\_

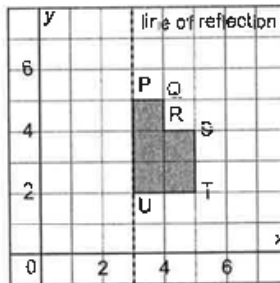
So, JK has length \_\_\_\_\_.

**7.5** 6. Draw the lines of symmetry in each tessellation.

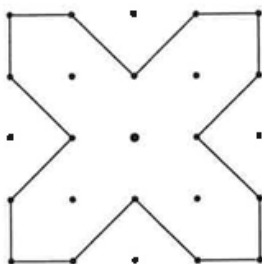


7. Reflect the shape in the line of reflection to make a larger shape.

Point	Image
P( , )	_____
Q( , )	_____
R( , )	_____
S( , )	_____
T( , )	_____
U( , )	_____



**7.6** 8. Find the order of rotational symmetry and the angle of rotation symmetry for this shape.



The shape and its image match \_\_\_\_\_ times.

So, the shape has rotational symmetry

of order \_\_\_\_\_.

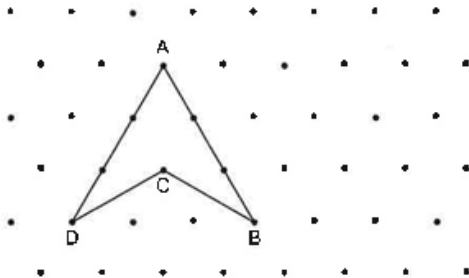
Angle of rotation symmetry is:

$$\frac{360^\circ}{\text{the order of rotation}} = \frac{360^\circ}{\text{_____}}$$

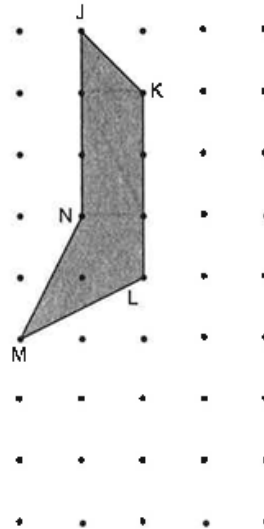
$$= \text{_____}$$

9. Draw the image after each rotation.

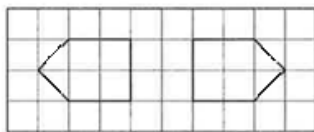
a)  $120^\circ$  clockwise about vertex B



b)  $180^\circ$  about vertex L



7.7 10. Find out if the polygons are related by symmetry. Use tracing paper and a Mira to help.



Do the polygons face opposite ways? \_\_\_\_\_  
 So, are the polygons related by a reflection? \_\_\_\_\_  
 Draw and label the line of reflection.

Do the polygons touch? \_\_\_\_\_  
 So, try a point of rotation \_\_\_\_\_ the polygons.  
 Are the polygons related by a rotation? \_\_\_\_\_  
 If they are, label the point of rotation.

11. a) Reflect the polygon in the vertical line through 3 on the x-axis. Draw and label the image.

b) Describe the symmetry in the shape that results.

The shape has \_\_\_\_\_ lines of symmetry.  
 Draw and label any lines of symmetry you found.

Does the shape have rotational symmetry? \_\_\_\_\_  
 If it does, label the point of rotation.

